

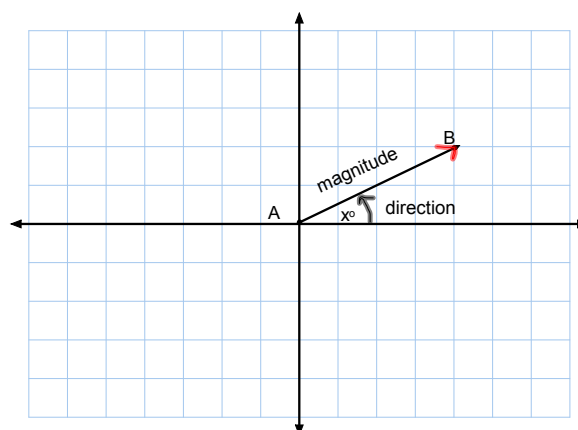
9-1 Translate Figures and Use Vectors

Vector--quantity that has both magnitude, or length, and direction

 \overrightarrow{AB}

A initial point
B terminal point

We can use vectors to describe translations.



Standard position--initial point at origin

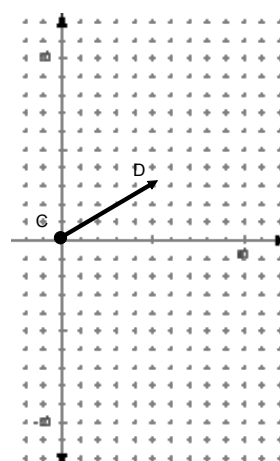
C(0, 0) D(5, 3)

\overrightarrow{CD}

Component form

$\langle 5, 3 \rangle$

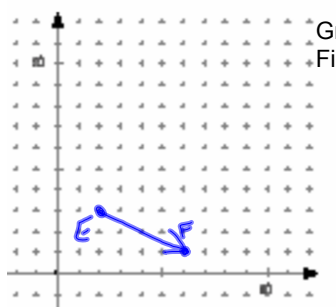
$\langle x_2 - x_1, y_2 - y_1 \rangle$



E(2, 3) F(6, 1)

Graph \overrightarrow{EF}
Find the component form.

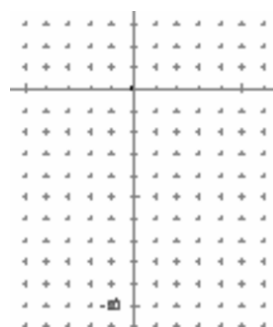
$\langle 4, -2 \rangle$



S(-3, -2) T(4, -7)

Graph \overrightarrow{ST}
Find the component form.

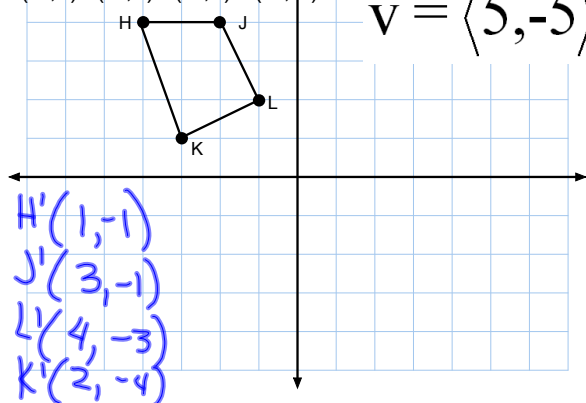
\overrightarrow{ST}
 $\langle 7, -5 \rangle$



Graph the image of HJLK under the translation

H(-4,4) J(-2,4) L(-1,2) K(-3,1)

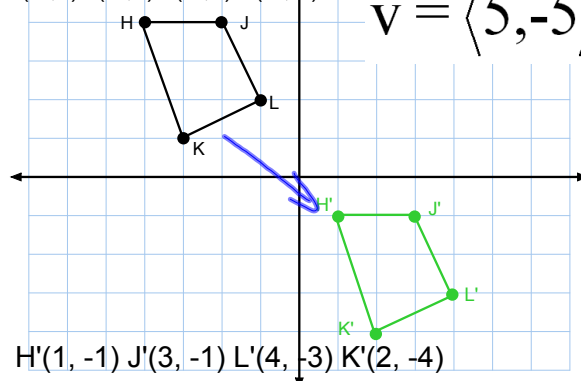
$$\vec{v} = \langle 5, -5 \rangle$$



Graph the image of HJLK under the translation

H(-4,4) J(-2,4) L(-1,2) K(-3,1)

$$\vec{v} = \langle 5, -5 \rangle$$



Translate Triangle EFG under

E(1, -3)

F(3, -1)

G(4, -4)

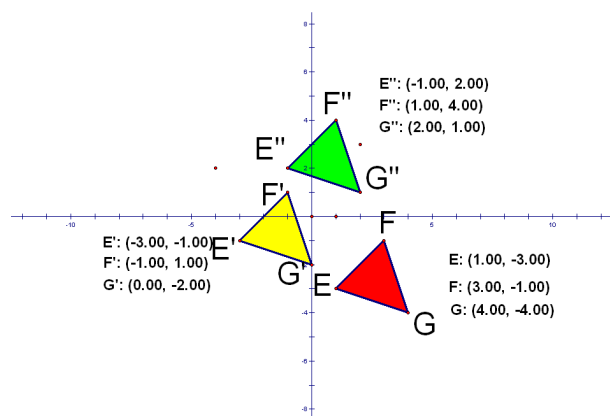
$$\vec{a} = \langle -4, 2 \rangle$$

and then

$$\vec{b} = \langle 2, 3 \rangle$$

Handwritten coordinates for the images:

- E'(-3, -1) E''(-1, 2)
- F'(-1, 1) F''(1, 4)
- G'(0, -2) G''(2, 1)



HW p 576-577 #s 3-6, 15-19